

What is Braking Distance on Wet Roads?

Worksheet

Braking distance on wet roads is calculated as $d = v^2/(2\mu g)$, where friction coefficient μ drops from ~ 0.7 (dry) to ~ 0.4 (wet). At 20 m/s on a wet road, stopping distance nearly doubles compared to dry conditions.

$$d = v^2/2\mu g$$

d = Braking distance (m)

v = Initial velocity (m/s)

μ = Friction coefficient ((unitless, ~ 0.7 dry, ~ 0.4 wet))

g = Gravity (9.8 m/s²)

Questions

1. On a wet road ($\mu=0.4$), braking distance at 15 m/s = ?

- A) ~ 15 m
- B) ~ 29 m
- C) ~ 50 m
- D) ~ 100 m

2. Why is wet road friction coefficient lower?

- A) Tires are colder
- B) Water layer separates tire from pavement
- C) Road is newer
- D) Gravity weakens

3. Stopping distance is proportional to...

- A) Speed only
- B) Speed²
- C) Friction only
- D) Time only

4. At 20 m/s on a wet road ($\mu=0.4$), stop distance = ?

- A) ~ 20 m
- B) ~ 40 m
- C) ~ 51 m
- D) ~ 100 m

5. A car brakes suddenly on a wet road at 20 m/s. How far does it slide before stopping? ($\mu=0.4$)

6. Same car, same speed, but on a dry road ($\mu=0.7$). Compare stopping distance.

7. A truck at 10 m/s brakes on a wet road. Stopping distance?

8. Define: Why does braking distance increase on wet roads?

9. Define: What is the braking distance formula?

10. Define: At 20 m/s, how much longer is stopping on wet vs. dry road?

Answer Key

1. C) ~ 50 m — $d = 225 / (2 \times 0.4 \times 9.8) \approx 28.7$ meters.
2. B) Water layer separates tire from pavement — Water creates a slippery layer between tire and road surface.
3. B) Speed² — The formula shows $d \propto v^2$ — doubled speed quadruples stopping distance.
4. C) ~ 51 m — $d = 400 / (2 \times 0.4 \times 9.8) \approx 51$ meters.
5. Use $d = v^2 / (2\mu g)$ $d = (20)^2 / (2 \times 0.4 \times 9.8)$ $d = 400 / 7.84$ $d \approx 51$ meters Answer: Approximately 51 meters (very long!).
6. $d = (20)^2 / (2 \times 0.7 \times 9.8)$ $d = 400 / 13.72$ $d \approx 29$ meters Answer: Only 29 meters on dry road — wet road requires $\sim 1.75\times$ more distance.
7. $d = (10)^2 / (2 \times 0.4 \times 9.8)$ $d = 100 / 7.84$ $d \approx 12.8$ meters Answer: About 13 meters.
8. Water reduces tire-road friction (μ drops from 0.7 to 0.4), requiring longer distance to stop.
9. $d = v^2 / (2\mu g)$, where v =speed, μ =friction, g =gravity (9.8 m/s^2).
10. Wet ≈ 51 m; dry ≈ 29 m. Wet requires about 1.75 times longer distance.

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