

What is Compound Interest?

Worksheet

Compound interest is interest earned on both the principal and previously accumulated interest, calculated as $A = P(1 + r/n)^{nt}$, where the balance grows exponentially over time.

$$A = P(1 + r)^n$$

Questions

- \$1,000 at 10% compounded annually for 2 years. What is A?
A) \$1,200
B) \$1,210
C) \$1,100
D) \$1,331
- In $A=P(1+r/n)^{nt}$, what does 'n' represent?
A) Number of years
B) Compounding periods per year
C) Principal amount
D) Interest rate
- Which grows a balance faster at the same annual rate?
A) Simple interest
B) Annual compounding
C) Monthly compounding
D) They're identical
- What makes compound interest grow exponentially rather than linearly?
A) The rate changes each year
B) Interest is earned on interest already accumulated
C) P increases automatically
D) n is always 1
- You deposit \$2,000 at 4% annual interest, compounded annually ($n=1$), for 5 years. Find the final amount.
- \$1,000 is invested at 6% annual interest compounded monthly ($n=12$) for 3 years. Find the final amount.
- Compare \$10,000 at 5% compounded annually ($n=1$) vs. compounded quarterly ($n=4$) for 10 years. Which grows more, and what's the difference?
- Define: What is compound interest?
- Define: What is the compound interest formula?
- Define: How does compounding frequency affect growth?

Answer Key

1. B) \$1,210 - $A=1000(1.10)^2=1000 \times 1.21=\$1,210$.
2. B) Compounding periods per year - n is how many times per year interest compounds (e.g. 12 for monthly).
3. C) Monthly compounding - More frequent compounding periods yield slightly higher growth than annual compounding.
4. B) Interest is earned on interest already accumulated - Because each period's interest is added to the base for the next period's calculation, growth compounds/accelerates.
5. $A = P(1+r/n)^{nt}$ $A = 2000(1+0.04/1)^{15}$ $A = 2000(1.04)^{15}$ $(1.04)^{15} \approx 1.2167$ $A \approx \$2,433.31$
6. $A = P(1+r/n)^{nt}$ $A = 1000(1+0.06/12)^{123}$ $A = 1000(1.005)^{123}$ $(1.005)^{123} \approx 1.1967$ $A \approx \$1,196.65$
7. Annual: $A = 10000(1.05)^{10}$ $10000 \times 1.62889 = \$16,288.95$ Quarterly: $A = 10000(1+0.05/4)^{410}$ $= 10000(1.0125)^{410}$ $10000 \times 1.64362 = \$16,436.19$ Quarterly compounding grows more by about \$147.25
8. Interest calculated on both the principal and previously earned interest, causing exponential growth.
9. $A = P(1+r/n)^{nt}$, where P is principal, r is annual rate, n is compounds per year, and t is time in years.
10. More frequent compounding (e.g. monthly vs annually) produces slightly higher final amounts for the same rate.

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