

What is Net Present Value (NPV)?

Worksheet

NPV is the sum of all a project's future cash flows discounted to present value, minus the initial investment; $NPV = \sum_{t=0}^n \frac{CF_t}{(1+r)^t} - I_0$. If $NPV > 0$, the investment is expected to be profitable.

$$NPV = \sum_{t=0}^n \frac{CF_t}{(1+r)^t} - I_0$$

Questions

1. A project has $NPV = \$500$. What should you do?
 - A) Reject it
 - B) Accept it
 - C) Ignore it
 - D) Wait indefinitely
2. In the NPV formula, what does C_0 represent?
 - A) Final cash flow
 - B) Discount rate
 - C) Initial investment
 - D) Number of years
3. If the discount rate increases, what typically happens to NPV (holding cash flows fixed)?
 - A) NPV increases
 - B) NPV decreases
 - C) NPV is unaffected
 - D) NPV becomes zero
4. Between two mutually exclusive projects, which is generally preferred?
 - A) The one with lower initial cost
 - B) The one with the higher NPV
 - C) The one with more cash flows
 - D) The one with the shortest life
5. A project costs \$10,000 today and returns a single cash flow of \$15,000 in 5 years. At an 8% discount rate, what is the NPV?
6. A project costs \$50,000 today and produces cash flows of \$20,000 at the end of each of the next 3 years. At a 10% discount rate, what is the NPV?
7. Two projects both cost \$5,000. Project A returns \$6,500 in 2 years; Project B returns \$7,000 in 4 years. At a 6% discount rate, which has the higher NPV?
8. Define: What is Net Present Value (NPV)?
9. Define: What is the NPV formula?
10. Define: What does a positive NPV mean?

Answer Key

1. B) Accept it - A positive NPV means the project adds value above the discount rate - generally accept.
2. C) Initial investment - C_0 is the upfront cost of the investment, subtracted from the sum of discounted cash flows.
3. B) NPV decreases - A higher discount rate shrinks the present value of future cash flows, lowering NPV.
4. B) The one with the higher NPV - NPV directly measures value added, so the project with the higher NPV is generally preferred.
5. $NPV = -C_0 + CF/(1+r)^t$ $NPV = -10000 + 15000/(1.08)^5$ $(1.08)^5 = 1.4693$ $NPV = -10000 + 15000/1.4693$
 $-10000 + 10208.80 = \$208.80$ Since $NPV > 0$, the project is worth pursuing
6. $NPV = -C_0 + CF_1/(1+r)^1 + CF_2/(1+r)^2 + CF_3/(1+r)^3$ $NPV = -50000 + 20000/1.10 + 20000/1.21 + 20000/1.331$
 $NPV = -50000 + 18181.82 + 16528.93 + 15026.30$ $NPV = -50000 + 49737.05 = -\262.95 Since $NPV < 0$, the project should be rejected
7. Project A: $NPV = -5000 + 6500/(1.06)^2 = -5000 + 6500/1.1236 = -5000 + 5785.26 = \785.26 Project B: $NPV = -5000 + 7000/(1.06)^4 = -5000 + 7000/1.26248 = -5000 + 5545.28 = \545.28 Project A has the higher NPV ($\$785.26 > \545.28), so it's the better choice
8. The sum of a project's discounted future cash flows minus its initial investment cost.
9. $NPV = [CF_t/(1+r)^t] C_0$, summed over all periods t .
10. The project is expected to add value above the required rate of return - generally accept it.

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